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Graphs of Quadratic Relations



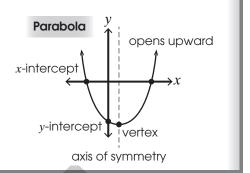
Parabola: a graph of a quadratic relation that is shaped

like the letter "U"

Axis of symmetry: a line that divides a parabola into

two equal halves

Vertex: the highest or lowest point of a parabola

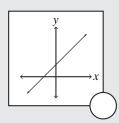


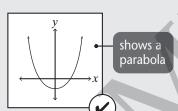
5.1 Properties of Quadratic Relations



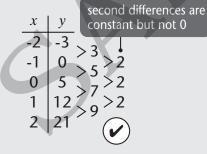
Example

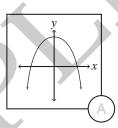
Identify and check the representations of quadratic relations.

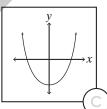




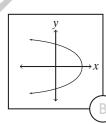
х	у
-2	8 1
-1	$ 4 ^{-4} > 0$
0	0 < 4 > 8
1	$4 < \frac{4}{4} > 0$
2	8 7 4

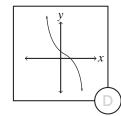






Х	y	
-2	59	
-1	11	
0	-5	
1	11	
2	59	(



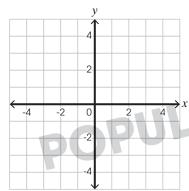


X	y	
-2	-2	
-1	1	
0	-2	
1	1	
2	4	(F)

Graph the quadratic relations.

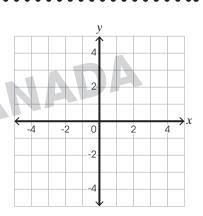
①
$$y = x^2$$

х	y
-2	
-1	
0	
1	
2	



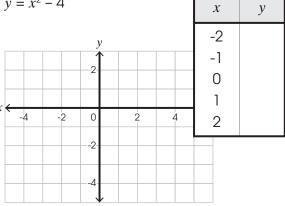
②
$$y = -2x^2 + 4$$

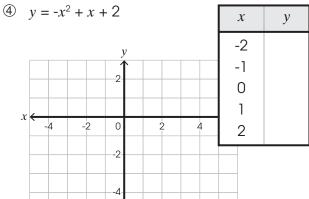
	x	у	
	-2 -1		
1	0		
	1		
	2		



Graph the quadratic relations. Write the key characteristics of each in the table.

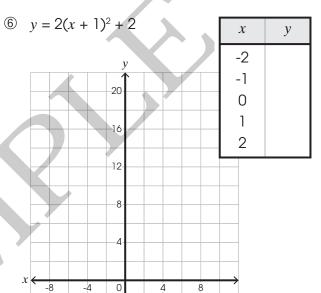
 $y = x^2 - 4$





(5) $v = -\frac{1}{2}(x - 1)^2$

$y = -\frac{1}{2}(x -$	1)-			Х	y
	v			-2	
				-1	
				0	
x				1	
-2 -1	0	1	2	2	
	-1-				



	$y = x^2 - 4$	$y = -x^2 + x + 2$	$y = -\frac{1}{2}(x-1)^2$	$y = 2(x+1)^2 + 2$
x-intercept(s)	(,)(,)			
y-intercept	(,)			
Direction of Opening				
Axis of Symmetry	x =		ANA)A
Vertex		ILAR		
Max./Min. Value	y =			

Sketch the parabolas with the given characteristics.

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vertex: (-3,0)
y-intercept: (0,1)



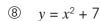
В

- x-intercept: (1.5,0)
 - y-intercept: (0,-6)
- opens upward
- C

- *x*-intercepts: (2,0), (-2,0) max. value: 3

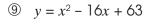


Answer the questions without graphing.



a. What is the direction of opening?

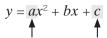




- a. What is the direction of opening?
- b. Will there be a maximum value or a minimum value?



Standard Form of Quadratic Relations

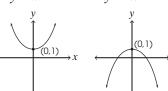


direction of opening

- y-intercept
- a > 0, upward
- a < 0, downward



$$y = -x^2 + 1$$



- ① $y = -2(x-1)^2$ Expand and rewrite in the form: $y = ax^2 + bx + c$.
 - a. What is the direction of opening?
 - b. What is the y-intercept?

Circle T for true and F for false.

The axis of symmetry is always the y-axis.

The vertex always lies on the axis of symmetry.

A parabola with no x-intercepts and with a positive y-intercept always opens upward.

All parabolas have y-intercepts.

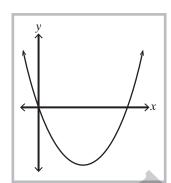
- **(b)** Consider $y = ax^2 + bx + c$.
 - a. If it is an equation of a parabola, then a cannot be 0.

b. If a is negative, the parabola will open downward.

c. c is the y-intercept.

Study each scenario and answer the questions.

(16)



The graph shows the path made by Steven's dive.

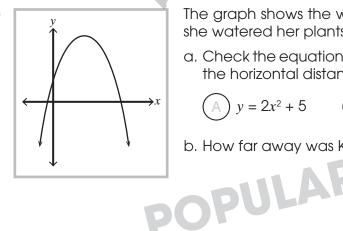
a. Check the equation that represents the graph where x represents the horizontal distance and y represents the water depth.

(A)
$$y = 0.1x^2 + 8$$

$$\bigcirc y = -0.2x^2 - x$$

b. What was the maximum water depth Steven reached?

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The graph shows the water arch Karen's garden hose made while she watered her plants.

a. Check the equation that represents the graph where x represents the horizontal distance and y represents the height.

$$A y = 2x^2 + 5$$

(B)
$$y = -0.5x^2 - 1$$

$$y = -0.6x^2 + 2.7x + 1.5$$

b. How far away was Karen from the plants?